

2.2.D2 – MODELING WITH LINEAR FUNCTIONS

1. Housing prices in your neighborhood have been increasing steadily since you purchased your home in 2005. The relationship between the market value, V , of your home and the length of time, x , you have owned your home is modeled by the linear function $V(x) = 2500x + 125,000$ where $V(x)$ is measured in dollars and x in years.
 - a. What is the slope of this line? What is the practical meaning of slope in this situation?
 - b. Determine the vertical intercept. What is the practical meaning of the vertical intercept in the context of this problem?
 - c. Determine and interpret the value $V(8)$.

2. The value of a car depreciates immediately after it is purchased. The value of a car you recently purchased can be modeled by the linear function $V(x) = 18500 - 1350x$ where $V(x)$ is the market value in dollars and x is the length of time you own your car in years.
 - a. What is the slope of this line? What is the practical meaning of slope in this situation?
 - b. Determine the vertical intercept. What is the practical meaning of the vertical intercept in the context of this problem?
 - c. Determine the horizontal intercept. What is the practical meaning of the horizontal intercept in the context of this problem?

3. The owner of a gas station has \$19,200 to spend on unleaded gas this month. Regular unleaded costs him \$2.40 per gallon, and premium unleaded costs \$3.20 per gallon.
 - a. Let x represent the gallons of regular unleaded and y represent the gallons of premium unleaded. Write a linear function that represents total amount of money spent on unleaded gas.
 - b. Find the x -intercept and interpret its meaning in terms of the situation.
 - c. Find the y -intercept and interpret its meaning in terms of the situation.
 - d. If the owner purchases 3000 gallons of premium unleaded gas, how many gallons of regular unleaded can be purchased?

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4. According to the U.S. Bureau of the Census, the population of California in 2000 was approximately 34.1 million and was increasing at a rate of approximately 630,000 people per year. Let $P(t)$ represent the California population (in millions) and t represent the number of years since 2000.
- Write a linear function rule for $P(t)$ in terms of t .
 - Use the linear model to predict the population of California in 2020.
5. The population of Atlanta, Georgia was 2.96 million in 1990 and 4.11 million in 2000. Let t represent the number of years since 1990 and $P(t)$ represent the population (in millions) at a given time, t .
- Assume that the average rate of change of the population over this 10-year period is constant. Determine this average rate/slope. What is the practical meaning of slope in this situation?
 - Write a linear function rule for $P(t)$ in terms of t .
 - Use the linear model to predict the population of Atlanta in 2020.
6. The population of Portland, Oregon was 2.39 million in 1990 and 2.36 million in 2000. Let t represent the number of years since 1980 and $P(t)$ represent the population (in millions) at a given time, t .
- Assume that the average rate of change of the population over this 10-year period is constant. Determine this average rate/slope. What is the practical meaning of slope in this situation?
 - Identify the vertical intercept. What is the practical meaning of the vertical intercept in the context of this problem?
 - Write a linear function rule for $P(t)$ in terms of t .
 - Use the linear model to predict the population of Portland in 2020.