$\qquad$

1. Given the system of inequalities shown below, identify ALL points that are solutions to this system.

$$
\begin{gathered}
x+y<3 \\
2 x-y>6
\end{gathered}
$$

Past due on: $\qquad$ Period: $\qquad$


## Graph the solution region of the system of linear inequalities.

2. $\begin{aligned} & y \leq-x+1 \\ & x>-2\end{aligned}$
3. $\begin{aligned} & 2 x-3 y<-3 \\ & x+3 y<-6\end{aligned}$
4. $\begin{gathered}2 x-4 y \leq 4 \\ x-2 y<6\end{gathered}$



5. Graph the system of linear inequalities. Name the coordinates of the vertices of the feasible region. Find the maximum and minimum values of the given function for this region.

$$
\begin{gathered}
3 x+2 y \leq 20 \\
x+2 y \leq 12 \\
x \geq 0 \\
y \geq 1 \\
f(x, y)=5 x+10 y
\end{gathered}
$$




ALL GRAPHING FOR LINEAR PROGRAMMING PROBLEMS SHOULD BE DONE ON WWW.DESMOS.COM
For each of the following problems: (a) write a function to be minimized: $f(x, y)$; (b) write a system of inequalities: (c) graph on Desmos and then find the coordinates of the vertices of the feasible region and substitute them into the function from part a; (d) solve the problem.
6. Two oil refineries produce three grades of gasoline: A, B, and C.

At each refinery, the three grades of gasoline are produced in a single operation in the following proportions: Refinery 1 produces 1 unit of A, 2 units of B, and 1 unit of C; Refinery 2 produces 1 unit of A, 4 units of B, and 4 units of C.
A customer needs at least 95 units of $A$, at most 320 units of $B$, and at least 200 units of C.
The customer would like to minimize his costs. For the production of one operation, Refinery 1 charges $\$ 300$ and Refinery 2 charges $\$ 600$. How should the orders be placed if the customer is to minimize cost? What is the cost?
Let $\boldsymbol{x}=$ the units purchased from Refinery $1 ; y=$ units purchased from Refinery 2
Write a system of equations \& a function to be minimized Find the coordinates \& the vertices \& evaluate:

|  | $x$ | $y$ | TOTAL |
| :--- | :--- | :--- | :--- |
| A |  |  |  |
| B |  |  |  |
| C |  |  |  |
| COST |  |  | $=f(x, y)$ |


| $(x, y)$ | $f(x, y)$ |
| :--- | :--- |
|  |  |

Answer the problem:
7. On June 24, 1948, the former Soviet Union blocked all land and water routes through East Germany to Berlin. A gigantic airlift was organized using American and British planes to bring food, clothing, and other supplies to the more than 2 million people in West Berlin. The cargo capacity was 30,000 cubic feet for an American plane and 20,000 cubic feet for a British plane.
To break the Soviet blockade, the Western Allies had to maximize cargo capacity but were subject to the following restrictions:

- No more than 44 planes could be used.
- The larger American planes required 16 personnel per flight, double that of the requirement for the British planes. The total number of personnel available could not exceed 512.
- The cost of an American flight was $\$ 9000$ and the cost of a British flight was $\$ 5000$. Total weekly costs could not exceed \$300,000.
Find the number of American and British planes that were used to maximize cargo capacity. What is that capacity?
Let $\boldsymbol{x}=$ the number of American planes $\& \boldsymbol{y}=$ the number British planes
Write a system of equations \& a function to be maximized

|  | $x$ | $y$ | TOTAL |
| :--- | :--- | :--- | :--- |
| PLANES |  |  |  |
| PERSONNEL |  |  |  |
| COST |  |  |  |
| CARGO |  |  | $=f(x, y)$ |

Answer the problem:
Chapter 2: Linear Functions

