3.APK.2 - CHARACTERISTICS OF FUNCTIONS

True or False?

1. f(-4) = f(-10)

 $2. \lim_{x \to -\infty} f(x) = -\infty$

3. Domain is all real numbers.

 $4. \ \lim_{x\to\infty}f(x)=\infty$

5. The y-intercept is 3.

6. The function is decreasing from (-8, -2).

7. Range is $(-\infty, 3]$.

8. f(100) = 3

9. There is a maximum value of 2.

10. Use the graph of *f* to determine the following characteristics:

a. the domain of f

b. the range of f

c. the *x*-intercepts

d. the *y*-intercept

e. intervals on which f is increasing

 \mathbf{f} . intervals on which f is decreasing

 \mathbf{g} intervals on which f is constant

 \mathbf{h} . the number at which f has a relative minimum

i. the relative minimum of f

j. f(-3)

k. the values of x for which f(x) = -2

11. Use the graph of *f* to determine the following characteristics:

a. the domain of f

b. the range of f

c. the *x*-intercepts

d. the *y*-intercept

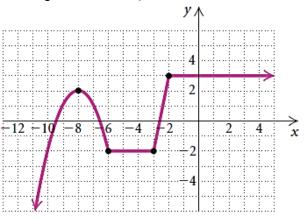
e. intervals on which f is increasing

 \mathbf{f} . intervals on which f is decreasing

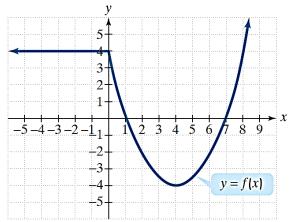
Name: _____

Past due on: _____ Period: ____

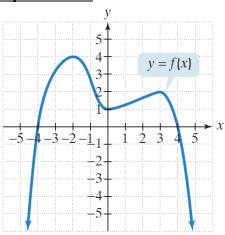
Use with problems 1 – 9.



Use with problem 10.

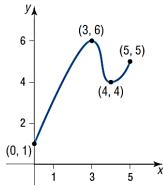


Use with problem 11.

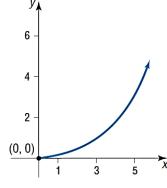


Identify the domain and the range of the functions shown.

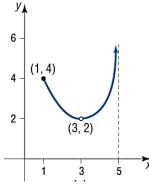
12.



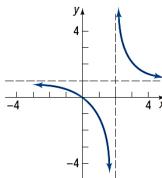
13.



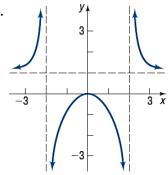
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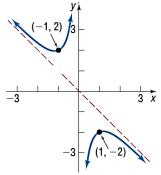
15.



16.



17.

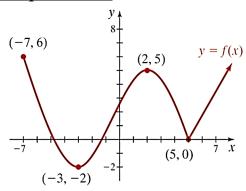


18. Identify the characteristics of the function shown.

- a. What is the domain of *f*?
- b. What is the range of *f*?
- c. There is a maximum of _____ at x =____.
- d. There is a minimum of ____ at x =__.

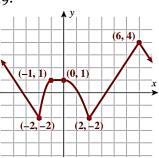
 There are two; just identify one of them.
- e. $\lim_{x \to \infty} f(x) =$

Use with problem 18.

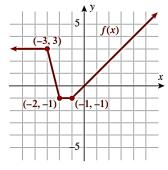


Identify the end behavior of each function.

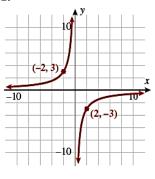
19.



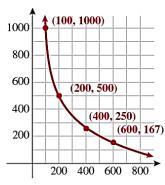
20.



21.



22.



 $\lim_{x \to -\infty} f =$

 $\lim_{x \to \infty} f =$

 $\lim_{x \to -\infty} f =$

 $\lim_{x \to \infty} f =$

 $\lim_{x \to -\infty} f =$

 $\lim_{x\to\infty}f=$

 $\lim_{x\to 0^+} f =$

 $\lim_{x\to\infty}f=$