Name

## 7.3 ~ The Tangent Ratio

Past due on $\qquad$ Period $\qquad$

1) In triangle $A B C, m \angle B=90^{\circ}, A C=50, A B=48$, and $B C=14$. Write a ratio, in simplest form, that represents the tangent of $\angle A$.

Write a trigonometric equation using tangent to find the indicated side length, $x$. Give an exact answer, solve the equation for $x$, and approximate answer rounded to the nearest hundredth.
2)

3)

4)

5)

6)

7)


Write a trigonometric ratio and use it to calculated the measure of the indicated angle to the nearest tenth of a degree.
8)

9)

10)

11)


## Draw a diagram that represents each situation. Write and solve a trigonometric equation (or ratio) using tangent. Approximate your answer to the nearest tenth unless otherwise stated.

12) A water slide makes an angle of $13^{\circ}$ with the ground. The slide extends horizontally 58.2 meters. Find the height of the slide.
13) The distance from a point $P$ on the ground to a point $R$ at the base of a cliff is 30 meters. The measure of angle $P$ is $72^{\circ}$. What is the height of the cliff?
14) You must order a new rope for the flagpole. To find out what length of rope is needed, you observe that pole casts a shadow 11.6 meters long on the ground. The angle between the sun's rays and the ground is $36.8^{\circ}$. How tall is the pole?
15) Lombard Street is on a hill in San Francisco, California, that rises 45 feet for every 100 feet of horizontal distance. What angle does the hill make with a horizontal line? Round to the nearest degree.
16) A hiker whose eyes are 5.5 feet above ground stands 25 feet from the base of a redwood tree. She looks up at an angle of $71^{\circ}$ to see the top of the tree. If the hiker is 5.5 feet tall, what is the height of the tree?
17) A lifeguard is sitting on an observation chair at a pool. The lifeguard's eye level is 6.2 feet from the ground. The base of the chair is 15.4 feet from a swimmer. Calculate the measure of the angle formed when the lifeguard looks down at the swimmer.
