



## Linear vs. Exponential Functions

1. The table shown to the right displays data for an increasing function.
- a) Can you **quickly** determine whether the function is **linear** or **exponential**? Justify your answer.
- b) Find the function for the table. Show all your work.

$x$	$y$
1	7
2	11
3	15
4	19

2. The table shown to the right displays data for an increasing function.
- a) Can you **quickly** determine whether the function is **linear** or **exponential**? Justify your answer.
- b) Find the function for the table. Show all your work.

$x$	$y$
1	8
2	12
3	18
4	27

3. Tables for three different decreasing functions are shown below. One of the functions is **linear**, one of them is **exponential**, and the other one is **neither** linear nor exponential.

Table 1	
$x$	$y$
0	64
2	4
5	2
6	1

Table 2	
$x$	$y$
0	64
2	50
5	29
6	22

Table 3	
$x$	$y$
0	64
2	16
5	2
6	1

- a) In questions #1 and #2 you were able to **quickly** determine whether the given data was **linear** or **exponential**. Can you do the same thing for these tables? Justify your answer.
- b) Is the data shown in table 1 linear, exponential, or neither? Show the work leading to your answer.
- c) If possible, give a function for the data shown in table 1.
- d) Is the data shown in table 2 linear, exponential, or neither? Show the work leading to your answer.
- e) If possible, give a function for the data shown in table 2.
- f) Is the data shown in table 3 linear, exponential, or neither? Show the work leading to your answer.
- g) If possible, give a function for the data shown in table 3.



## Linear vs. Exponential Functions

1. The table shown to the right displays data for a decreasing function.

$x$	$y$
-1	27
0	18
1	12
2	8

- a) Can you **quickly** determine whether the function is **linear** or **exponential**? Justify your answer.
- b) Find the function for the table. Show all your work.

2. The table shown to the right displays data for a decreasing function.

$x$	$y$
-1	14
0	11
1	8
2	5

- a) Can you **quickly** determine whether the function is **linear** or **exponential**? Justify your answer.
- b) Find the function for the table. Show all your work.

3. Tables for three different increasing functions are shown below. One of the functions is **linear**, one of them is **exponential**, and the other one is **neither** linear nor exponential.

Table 1	
$x$	$y$
-2	8
0	50
1	125

Table 2	
$x$	$y$
-2	30
0	50
1	70

Table 3	
$x$	$y$
-2	10
0	50
1	70

- a) In questions #1 and #2 you were able to **quickly** determine whether the given data was **linear** or **exponential**. Can you do the same thing for these tables? Justify your answer.
- b) Is the data shown in table 1 linear, exponential, or neither? Show the work leading to your answer.
- c) If possible, give a function for the data shown in table 1.
- d) Is the data shown in table 2 linear, exponential, or neither? Show the work leading to your answer.
- e) If possible, give a function for the data shown in table 2.
- f) Is the data shown in table 3 linear, exponential, or neither? Show the work leading to your answer.
- g) If possible, give a function for the data shown in table 3.



## Linear vs. Exponential Functions

1. The table shown to the right displays data for a decreasing function.

$x$	$y$
-1	27
0	18
1	12
2	8

a) Can you **quickly** determine whether the function is **linear** or **exponential**? Justify your answer.

Yes, the data is exponential. Since the input values are “equally spaced” (there are equal increments of  $x$  on the table) we can look at the ratio of the outputs to quickly determine whether the data is exponential. The ratio  $\frac{2}{3}$  repeats throughout the table.

b) Find the function for the table. Show all your work.

$$y = 18 \left(\frac{2}{3}\right)^x$$

2. The table shown to the right displays data for a decreasing function.

$x$	$y$
-1	14
0	11
1	8
2	5

a) Can you **quickly** determine whether the function is **linear** or **exponential**? Justify your answer.

Yes, the data is linear. Since the input values are “equally spaced” (there are equal increments of  $x$  on the table) we can look at the difference of the outputs to quickly determine whether the data is exponential. The difference  $-3$  repeats throughout the table.

b) Find the function for the table. Show all your work.

$$y = -3x + 11$$

3. Tables for three different increasing functions are shown below. One of the functions is **linear**, one of them is **exponential**, and the other one is **neither** linear nor exponential.

Table 1	
$x$	$y$
-2	8
0	50
1	125

Table 2	
$x$	$y$
-2	30
0	50
1	70

Table 3	
$x$	$y$
-2	10
0	50
1	70

- a) In questions #1 and #2 you were able to **quickly** determine whether the given data was **linear** or **exponential**. Can you do the same thing for these tables? Justify your answer.  
**No, we cannot “quickly” determine whether the data is linear or exponential since the input values are NOT “equally spaced” (there are no equal increments of  $x$  on the table.)**
- b) Is the data shown in table 1 linear, exponential, or neither? Show the work leading to your answer.  
**Table 1 shows exponential data. Using points  $(0, 50)$  and  $(1, 125)$ , we have**

**$y = 50 \left(\frac{5}{2}\right)^x$ . We can verify that the other point on the table follows this exponential model.**

- c) If possible, give a function for the data shown in table 1.

$$y = 50 \left(\frac{5}{2}\right)^x$$

- d) Is the data shown in table 2 linear, exponential, or neither? Show the work leading to your answer.  
**The data in table 2 is neither linear nor exponential. It is not linear because the slope between any two given points is NOT the same (for  $(-2, 30)$  and  $(0, 50)$ , we have  $m = 10$ , but for  $(0, 50)$  and  $(1, 70)$ , we have  $m = 20$ .) It not exponential because using points  $(0, 50)$  and  $(1, 70)$ , we have  $y = 50 \left(\frac{7}{5}\right)^x$  and the other point on the table does NOT match this function.**
- e) If possible, give a function for the data shown in table 2.  
**We cannot find a function to model table 2.**
- f) Is the data shown in table 3 linear, exponential, or neither? Show the work leading to your answer.  
**Table 3 shows linear data. The slope between any two points in the line is always the same,  $m = 20$ .**
- g) If possible, give a function for the data shown in table 3.

$$y = 20x + 50$$