## MODELING WITH LINEAR FUNCTIONS

	Principal ×	Rate ×	Time	= Interest
Investment 1				
Investment 2				

#### **Investment Problems** (Simple interest: $P \times r \times t = I$ )

One the table is completed, the final column is useful in writing an equation about the interest earned in the overall investment.

#### <u>Uniform Motion Problems</u> $(r \times t = d)$

	Rate ×	Time	= Distance
Vehicle 1			
Vehicle 2			

*One the table is filled in, a sketch of the motion involved leads to an understanding of the relationship between various distances. Entries in the final column are useful in terms of the equation.* 

Typical situations include the following:

• *A* and *B* move in opposite directions starting from the same point:

A's distance	B's distance	
(	Starting	
	point	

*The distance traveled by A added to the distance traveled by B is* <u>*equal*</u> *to the distance that A and B are apart.* 

• *A* and *B* move in the same direction starting from different points:

	A's distance	B's distance	
Starting			Starting
point			point
for A			for B

*The distance traveled by A added to the distance traveled by B is <u>equal</u> to the distance that A and B were originally apart.* 

• Roundtrips:

A's distance on outgoing trip Starting point A's distance on return trip

*The distance on the outgoing trip is <u>equal</u> to the distance on the return trip.* 

• *A* and *B* leave from the same point at different times:



*At the instant that A overtakes B (or vice versa) the distance traveled by A is <u>equal</u> to the distance traveled by B.* 

# MODELING WITH LINEAR FUNCTIONS

### <u>Mixtures</u>

	Total	Percentage of	= Amount of
	Amount ×	a Substance	the Substance
Solution A			
Solution B			
Mixture of			
A & B			

*Once the table is completed, the final column is useful in writing equations.* 

An implied English sentence is that the sum of the substances in solutions A and B is equal to the amount of the substance in the mixture.